| Chapter 8 (p. 569, 8-1) | constant of variation: The constant <i>k</i> in direct, inverse, joint, and combined variation equations.  |
|-------------------------|--|
| constant of variation   | y = 5x<br>$\uparrow$<br>constant of variation  |
| Chapter 8 (p. 569, 8-1) | direct variation: A linear relationship between<br>two variables, x and y, that can be written<br>in the form $y = kx$ , where k is a nonzero<br>constant. |
| direct variation        | y = 2x   |
| Chapter 8 (p. 593, 8-4) | discontinuous function: A function whose<br>graph has one or more jumps, breaks, or<br>holes.  |
| discontinuous function  |  |
| Chapter 8 (p. 600, 8-5) | extraneous solution: A solution of a derived<br>equation that is not a solution of the original<br>equation.   |
| extraneous solution     | To solve $\sqrt{x} = -2$ , square both<br>sides; $x = 4$ .<br><i>Check</i> $\sqrt{4} = -2$ is false; so 4 is<br>an extraneous solution.                    |

| Chapter 8 (p. 570, 8-1)                      | inverse variation: A relationship between two<br>variables, x and y, that can be written in the<br>form $y = \frac{k}{x}$ , where k is a nonzero constant<br>and $x \neq 0$ .  |
|--|--|
| Chapter 8 (p. 628, 8-8)<br>radical equation  | radical equation: An equation that contains a variable within a radical. $\sqrt{x+3} + 4 = 7$  |
| Chapter 8 (p. 611, 8-6)<br>rational exponent | rational exponent: An exponent that can be<br>expressed as $\frac{m}{n}$ such that if <i>m</i> and <i>n</i> are<br>integers, then<br>$b^{\frac{m}{n}} = \sqrt[n]{b^m} = (\sqrt[n]{b})^m$ .<br>$4^{\frac{3}{2}} = \sqrt{4^3} = \sqrt{64} = 8$<br>$4^{\frac{3}{2}} = (\sqrt{4})^3 = 2^3 = 8$ |